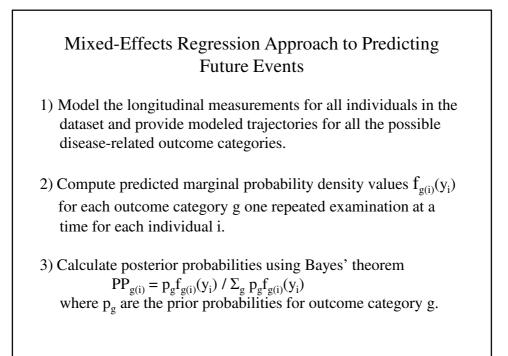


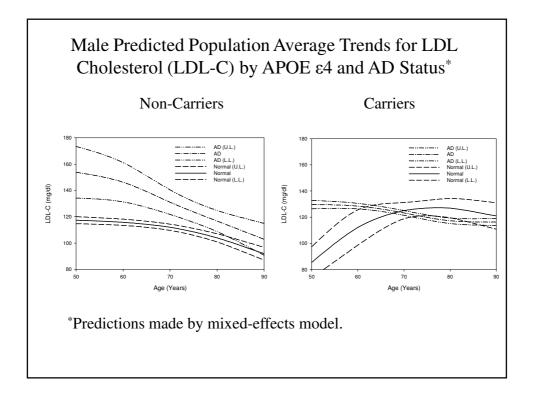
5

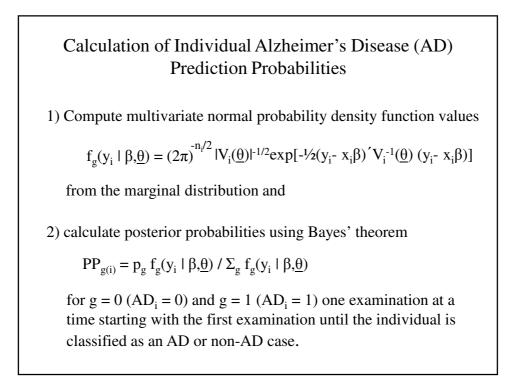


Description of Study Population (1980 – 2010)				
	Female (N = 786)		Male (N = 790)	
	APOE ε 4 Carriers	APOE ε4 Non-Carriers	APOE ε 4 Carriers	APOE <i>ɛ</i> 4 Non-Carriers
Number of participants	227	559	217	573
Starting Age (yrs) Mean (Std Dev)	52.0 (14.2)	51.8 (16.4)	52.6 (16.2)	54.8 (16.7)
Length of follow-up (yrs) Mean (Std Dev)	14.1 (8.5)	13.5 (7.8)	14.2 (8.6)	15.6 (8.7)
Number of Alzheimer's Disease (AD) Cases (%)	18 (7.9)	32 (5.7)	17 (7.8)	39 (6.8)
Age of AD Diagnosis (yrs) Mean (Std Dev) Range	80.6 (7.1) 70.7 – 94.1	85.2 (7.5) 60.4 – 99.3	81.7 (4.9) 71.2 – 88.9	85.0 (6.0) 69.2 - 95.5

Possible Predictors for Alzheimer's Disease (AD) Mini-Mental State Examination Score (MMSE) Center for Epidemiologic Studies Depression Scale (CES-D) Forced Expiratory Volume in One Second (FEV-1, L) Forced Vital Capacity (FVC, L) Body Mass Index (BMI, kg/m²) Systolic Blood Pressure (SBP, mm Hg) Diastolic Blood Pressure (DBP, mm Hg) Mean Arterial Pressure (MAP, mm Hg) Pulse Pressure (PP, mm Hg) Fasting Plasma Glucose (FPG, mg/dL) Total Serum Cholesterol (TC, mg/dL) High-Density Lipoprotein (HDL-C, mg/dL) Low-Density Lipoprotein (LDL-C, mg/dL) Triglycerides (TG, mg/dL) Hemoglobin (HGB, g/dL)

Linear Mixed Effects (LME) Regression Model for LDL Cholesterol (LDL-C) in Male APOE ε 4 Non-Carriers For individual i at time j consider the LME model $LDL-C_{ij} = (\beta_0 + b_{0i}) + \beta_1 fage_i + (\beta_2 + b_{2i}) time_{ij} + \beta_3 AD_i + \beta_4 fage_i * time_i + \beta_5 time_i * time_i + \beta_6 fage_i * AD_i + \beta_7 time_{ij} * AD_i + \beta_8 time_{ij} * time_{ij} * AD_i + \varepsilon_{ij}$ where the b and ε terms are independent with <u>b</u> ~ N(<u>0</u>,D(θ_D)) and $\underline{\varepsilon} ~ N(0,\Sigma(\theta_{\Sigma}))$. In general, the LME model is written $Y_i = X_i\beta + Z_ib_i + \varepsilon_i$ and so the marginal distribution (obtained by integrating out the b_i terms) has a normal distribution with mean $\underline{x}_i\beta$ and variance $V_i(\underline{\theta}) = Z_iD(\theta_D)Z_i' + \Sigma_i(\theta_{\Sigma})$.





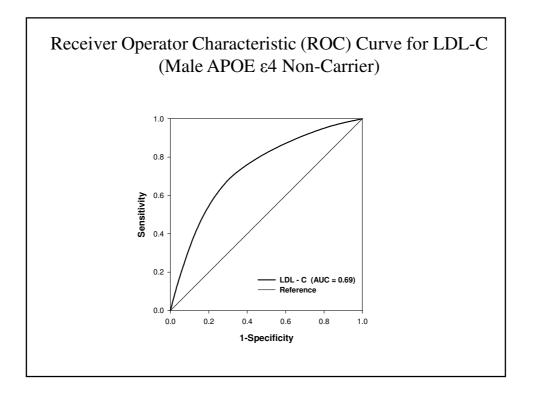
Classification Results

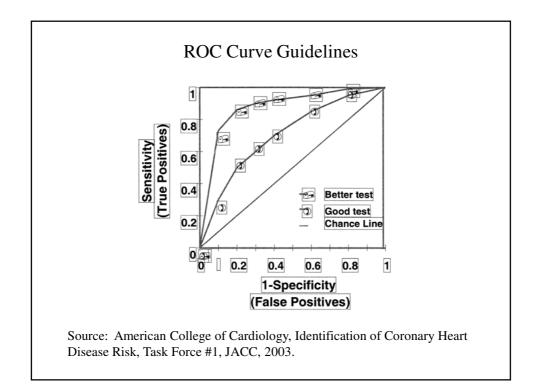
The posterior probabilities are used to create a classification table by considering a range of cutoff values for the posterior probabilities.

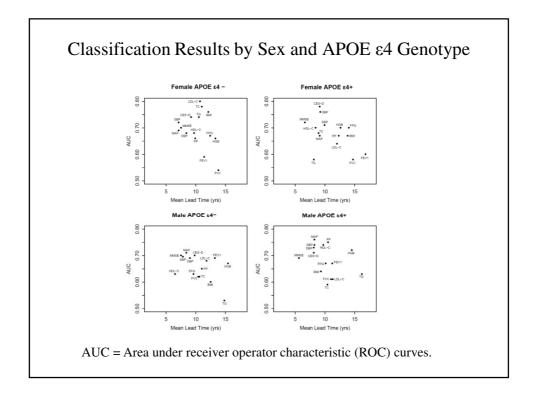
Note:

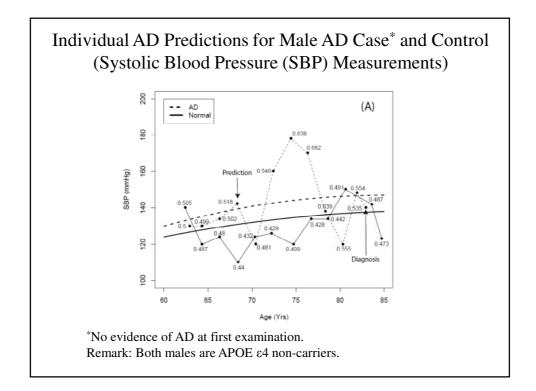
As the cutoff values decrease, the proportion of correctly classified outcomes (sensitivity) increases and the proportion incorrectly classified as positive outcomes (1 – specificity) increases.

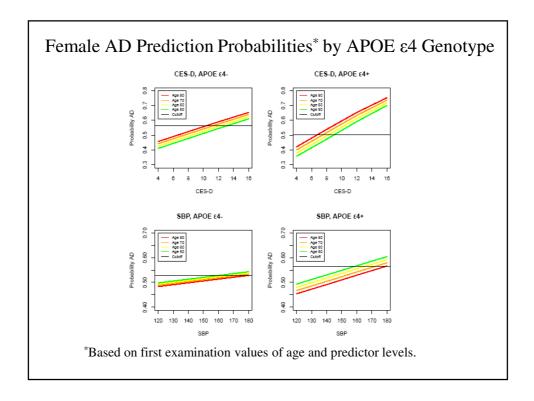
These classification results for the different cutoff values are used to construct a receiver operator characteristic (ROC) curve.

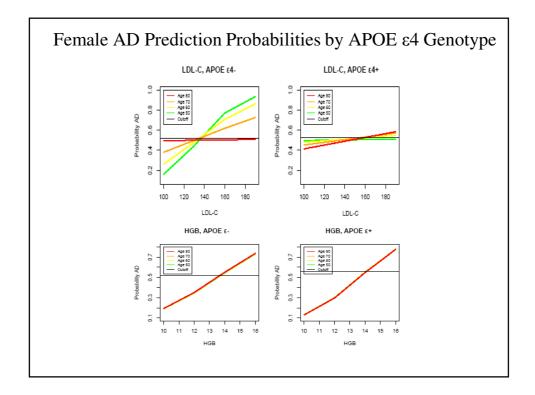


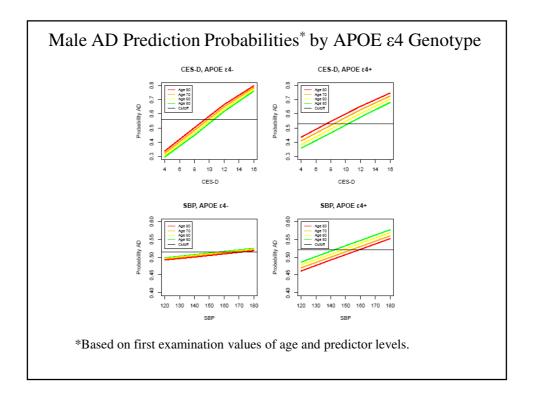


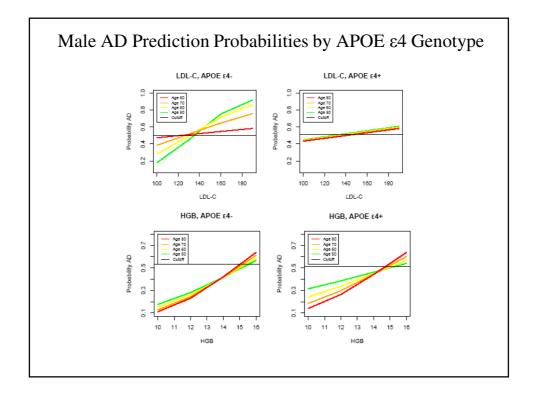


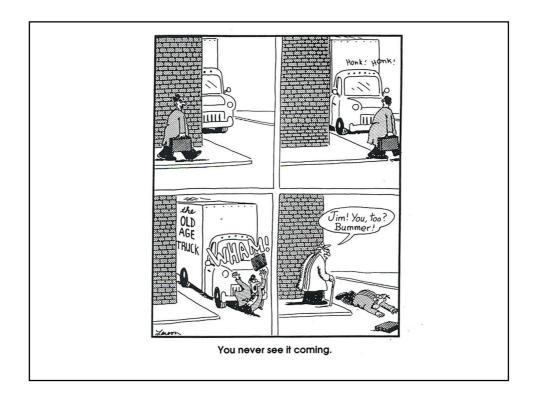












Conclusions

- Repeated measurements of common physiological and laboratory measures collected over the entire adult lifespan are useful for making individual predictions of AD.
- Methodology presented in this paper may be useful in identifying vulnerable populations and targeting them for midlife intervention studies, with the potential of dramatically reducing the projected prevalence of AD.
- Possibility exists to create a composite risk score for AD weighting predictor variable posterior probabilities using AUC and MLT values.
- If we look hard enough we may be able to see the Old Age Truck coming and perhaps slow it down a bit.

